

# CRYPTO 101: REAL-WORLD DEPLOYMENTS

## 6. THE SIGNAL PROTOCOL

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# Outline



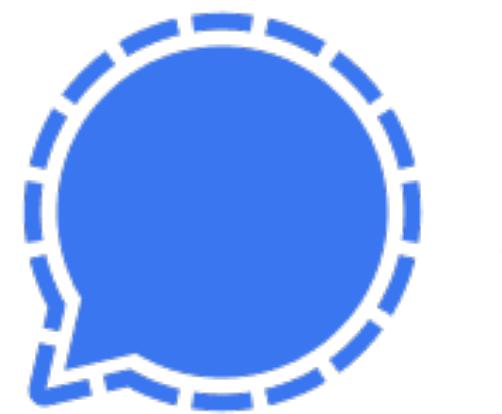
1. Signal and WhatsApp
2. Forward secrecy
3. Post-compromise security
4. The Signal protocol

# Introduction

The **Signal protocol** was designed by Moxie Marlinspike and Trevor Perrin.

It is free, open source, and is used in:

- ◆ **Signal** (free messaging app).
- ◆ **Skype** (“private conversations” optional feature).
- ◆ **WhatsApp**.
- ◆ **Facebook Messenger** uses an end-to-end encryption protocol that is similar to Signal.



**Signal**

# WhatsApp



- ◆ WhatsApp is owned by Facebook.
- ◆ Has over 3 billion users (India, Brazil, Mexico, France, UK, ...), and handles 10's of billions of messages everyday.
- ◆ Is banned, or has been temporarily blocked, in several countries.
- ◆ Has very low revenues — it's free, works over WiFi, no advertisements, and no user data to mine (except metadata).

# Signal objectives (1)

**Participants:** Alice, Bob, WhatsApp, ThirdParty ( $E$ ).

1. **Long-lived sessions:** Alice and Bob establish a long-lived secure communications session. The session lasts until events such as app reinstall or device change.
2. **Fresh session keys:**  
Each message is encrypted / authenticated with a fresh session key.  
Encrypt-then-MAC is used:  $c = \text{AES-CBC}_{k_1}(m)$ ,  $t = \text{HMAC}_{k_2}(c)$ , where  $k_1, k_2$  are each 256 bits in length.
3. **Asynchronous setting:**  
Alice can send Bob a secure message even if Bob is offline. Messages can be delayed, delivered out of order, or can be lost entirely without problem.

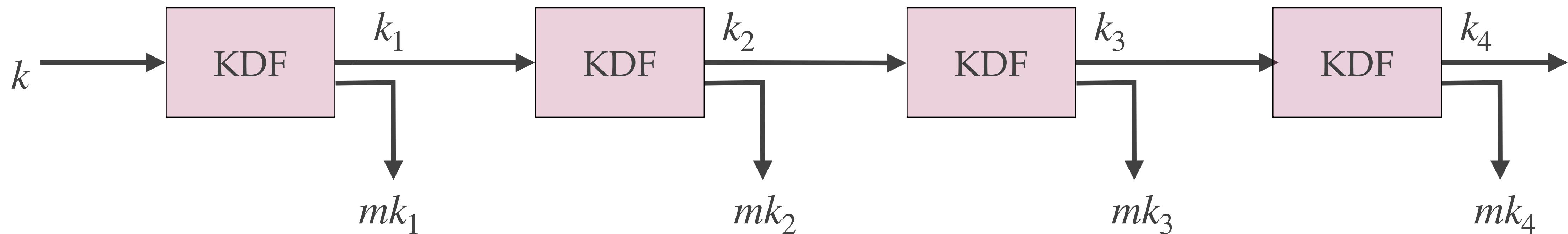
# Signal objectives (2)

4. **Immediate decryption:** Bob can decrypt a ciphertext as soon as he receives it.
5. **End-to-end encryption:** WhatsApp and  $E$  do not possess any of Alice's or Bob's secret keys, nor do they get access to any plaintext.
  - ◆ However, WhatsApp (but not  $E$ ) does get all the **metadata**, e.g., who sent a message to whom and when, your contacts, your profile name, etc.
6. **Forward secrecy:**  
If a party's **state** is leaked, then none of the previous messages should be compromised (assuming they have been deleted from the state).
7. **Post-compromise security:**  
Parties recover from a state compromise (if the attacker remains passive).

# Forward secrecy



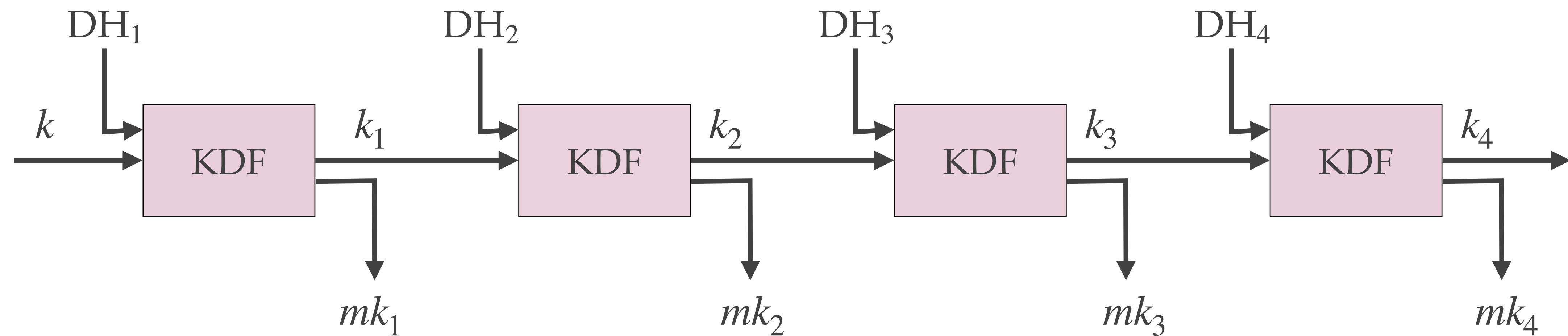
Suppose that Alice and Bob share a secret key  $k$ . They can **ratchet**  $k$  and derive message encryption keys  $mk_1, mk_2, mk_3, \dots$  as follows:



- ♦ Keys are deleted as soon as they are no longer needed.
- ♦ For example,  $k$  is deleted as soon as  $k_1$  and  $mk_1$  are computed. Also,  $mk_1$  is deleted as soon as it is used to encrypt (or decrypt) a message.
- ♦ Suppose that  $E$  learns  $k_2$  and  $mk_2$  (e.g., by gaining access to Alice's device). Then  $E$  can compute  $k_3, mk_3, k_4, mk_4, \dots$ . However,  $E$  cannot compute  $mk_1$ . Thus, any ciphertext that was generated using  $mk_1$  cannot be decrypted by  $E$ .

# Post-compromise security

In order to achieve **post-compromise security**, a fresh ECDH shared secret established by Alice and Bob is used each time the KDF is applied.



- ♦ Here,  $DH_i = \text{ECDH}(X_i, Y_i)$ , where  $X_i$  is contributed by Alice and  $Y_i$  is contributed by Bob.
- ♦ Suppose that  $E$  learns  $k_2$  and  $mk_2$ .  
Then,  $E$  cannot compute  $k_3$  or  $mk_3$  unless she also learns  $x_3$  or  $y_3$ .

# Cryptographic ingredients

1. **AES-CBC**: 128-bit IV, 256-bit key.
2. **HMAC**: with SHA-256 and a 256-bit key.
3. **KDF**: A key derivation function  
(HMAC or HKDF, but we will not get into the details).
4. **Curve25519**.
5. **Elliptic curve key pairs**:  
 $(X, x)$  where  $x \in_R [1, n - 1]$  is a secret key  
and  $X = xP$  is the corresponding public key.
6. **ECDH**.
7. **EdDSA**: an ECDSA-like signature scheme.



# Signal protocol

Three stages:

1. Registration
2. Root key establishment
3. Message transmission



Note 1: All of Alice's and Bob's messages are sent via WhatsApp's servers.

Note 2: All communication between Alice / Bob and WhatsApp is encrypted / authenticated using a TLS-like protocol.

Note 3: Alice (and Bob) always deletes a secret key as soon as she no longer needs it.

# Registration

1. After Alice has downloaded the WhatsApp app, she sends WhatsApp:
  - ♦  $ID_A$ : her identifier (cell phone number)
  - ♦  $A$ : her long-term public key
  - ♦  $U$ : her medium-term public key
  - ♦  $\text{Sign}_A(U)$ : her signature on  $U$
  - ♦  $S_1, S_2, \dots, S_\ell$ : one-time public keys

(Alice securely stores her secret keys  $a, u, s_1, s_2, \dots, s_\ell$ .)
2. Similarly, Bob sends WhatsApp  $ID_B, B, V, \text{Sign}_B(V), T_1, T_2, \dots, T_\ell$ .

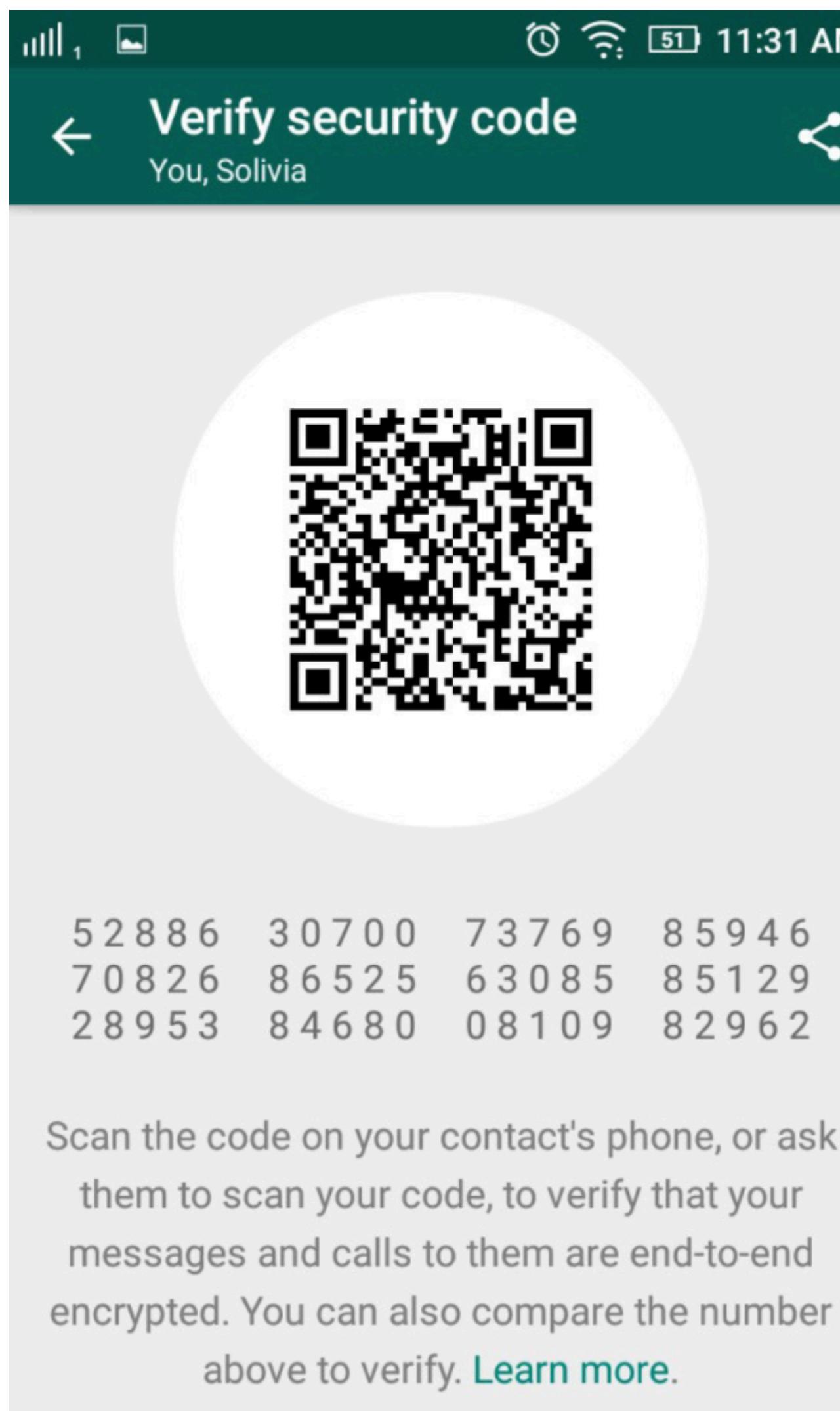
# Root key establishment

Alice (the **initiator**) wishes to connect with Bob (the **responder**).

1. Alice → WhatsApp: **request** to create a session with Bob.
2. WhatsApp → Alice:  $B, V, \text{Sign}_B(V), T_1$  (and deletes  $T_1$ ).
3. Alice does the following:
  - (a) **Verify**  $(V, \text{Sign}_B(V))$  using  $B$ .
  - (b) Select an **ephemeral key pair**  $(Z, z)$ .
  - (c) Compute the 256-bit **root key**  $\text{root}_0 = \text{KDF}(aV, zB, zV, zT_1)$ .

**Note:** Given  $A$  and  $Z$ , Bob can compute  $\text{root}_0 = \text{KDF}(vA, bZ, vZ, t_1Z)$ .

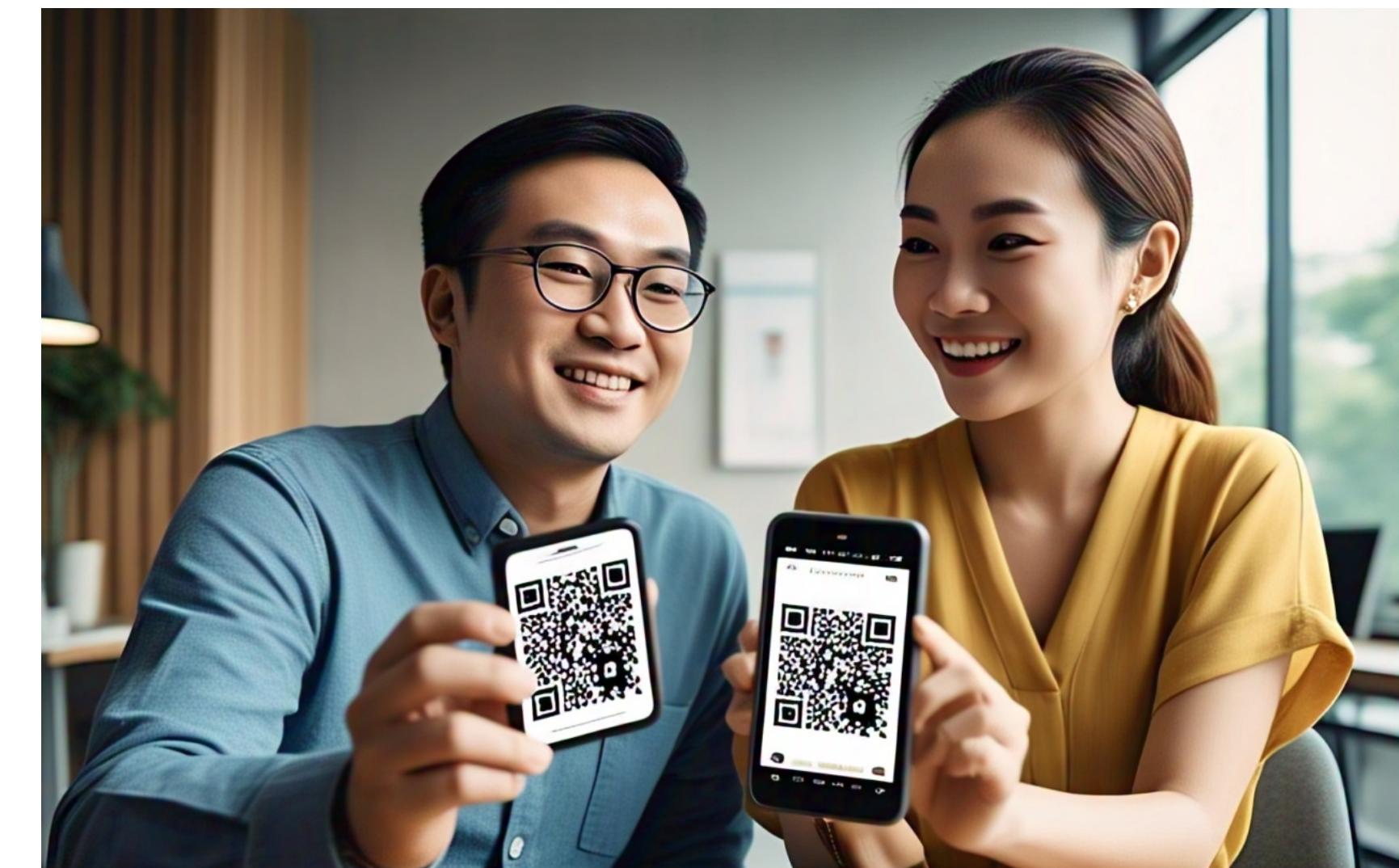
# Verifying long-term public keys



## Purpose:

Provide some protection against active MITM attacks.

- ♦ QR codes and 60-digit numbers encode identifiers and long-term public keys:  $(ID_A, A)$  and  $(ID_B, B)$ .
- ♦ Alice and Bob *should* verify these prior to sending each other messages.



# Message transmission

Alice maintains three key chains:

1. A **root key chain** — to seed the other two chains.
2. A **sending key chain** — to generate message sending keys.
3. A **receiving key chain** — to generate message receiving keys.

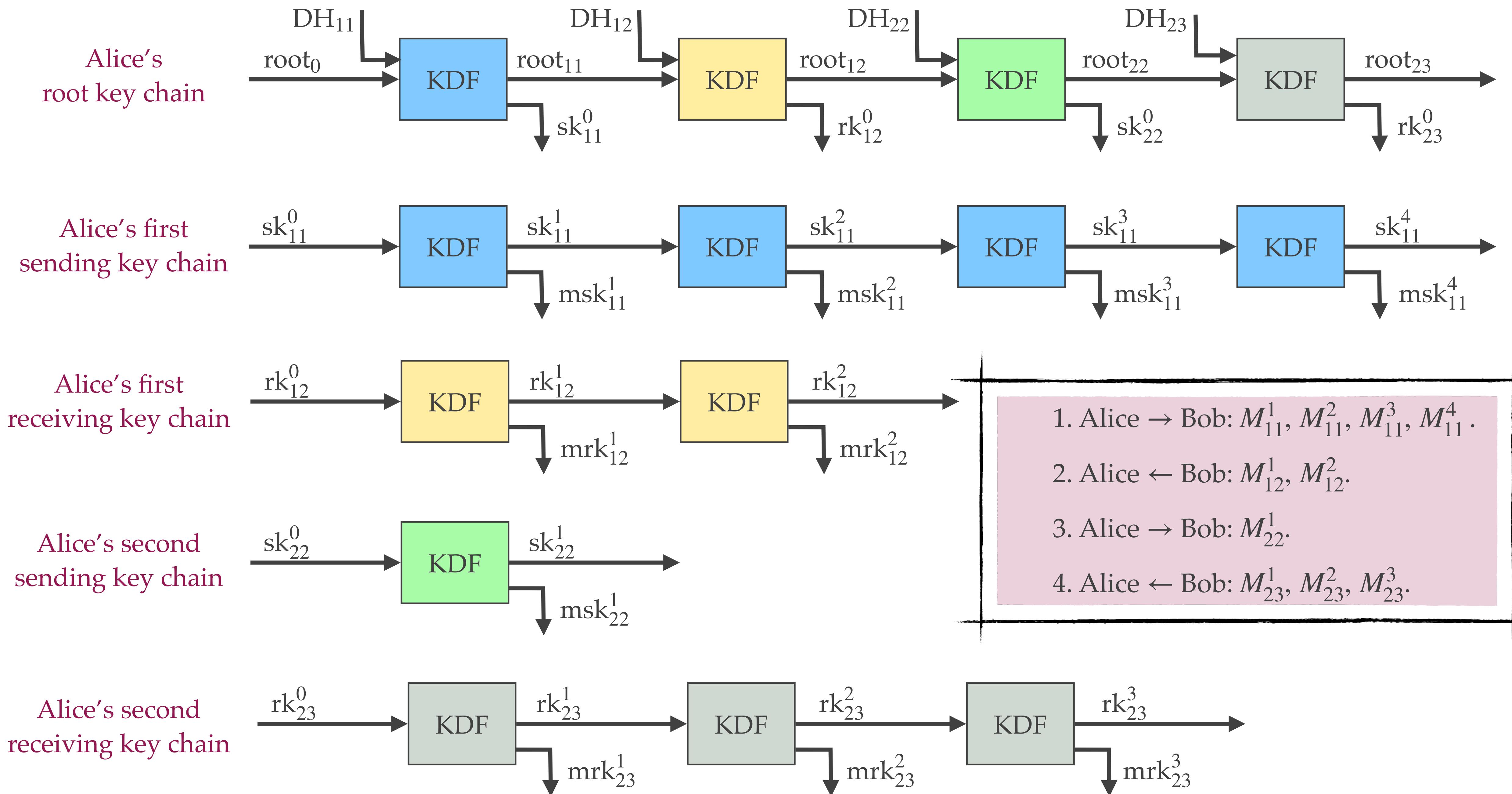
Bob also maintains three key chains:

1. A root key chain — the same one as Alice's.
2. A receiving key chain — the same as Alice's sending chain.
3. A sending key chain — the same as Alice's receiving chain.

# Example of message transmission (1)

Consider the following example:

1. Alice  $\rightarrow$  Bob:  $M_{11}^1, M_{11}^2, M_{11}^3, M_{11}^4$ .  
(Alice's first sending chain of 4 messages)
2. Alice  $\leftarrow$  Bob:  $M_{12}^1, M_{12}^2$ .  
(Alice's first receiving chain of 2 messages)
3. Alice  $\rightarrow$  Bob:  $M_{22}^1$ .  
(Alice's second sending chain of 1 message)
4. Alice  $\leftarrow$  Bob:  $M_{23}^1, M_{23}^2, M_{23}^3$ .  
(Alice's second receiving chain of 3 messages)



# Example of message transmission (2)

Alice's root key chain	Alice's sending key chains	Alice's receiving key chains
1. Select $X_1$ 2. $\text{DH}_{11} = \text{ECDH}(X_1, Y_1)$ , $Y_1 = V$ 3. $\text{KDF}(\text{root}_0, \text{DH}_{11}) \rightarrow \text{root}_{11}, sk_{11}^0$	4. $\text{KDF}(sk_{11}^0) \rightarrow sk_{11}^1, msk_{11}^1$ 5. $\text{KDF}(sk_{11}^1) \rightarrow sk_{11}^2, msk_{11}^2$ 6. $\text{KDF}(sk_{11}^2) \rightarrow sk_{11}^3, msk_{11}^3$ 7. $\text{KDF}(sk_{11}^3) \rightarrow sk_{11}^4, msk_{11}^4$	
8. Receive $Y_2$ 9. Compute $\text{DH}_{12} = \text{ECDH}(X_1, Y_2)$ 10. $\text{KDF}(\text{root}_{11}, \text{DH}_{12}) \rightarrow \text{root}_{12}, rk_{12}^0$		11. $\text{KDF}(rk_{12}^0) \rightarrow rk_{12}^1, mrk_{12}^1$ 12. $\text{KDF}(rk_{12}^1) \rightarrow rk_{12}^2, mrk_{12}^2$
13. Select $X_2$ 14. Compute $\text{DH}_{22} = \text{ECDH}(X_2, Y_2)$ 15. $\text{KDF}(\text{root}_{12}, \text{DH}_{22}) \rightarrow \text{root}_{22}, sk_{22}^0$	16. $\text{KDF}(sk_{22}^0) \rightarrow sk_{22}^1, msk_{22}^1$	
17. Receive $Y_3$ 18. Compute $\text{DH}_{23} = \text{ECDH}(X_2, Y_3)$ 19. $\text{KDF}(\text{root}_{22}, \text{DH}_{23}) \rightarrow \text{root}_{23}, rk_{23}^0$		20. $\text{KDF}(rk_{23}^0) \rightarrow rk_{23}^1, mrk_{23}^1$ 21. $\text{KDF}(rk_{23}^1) \rightarrow rk_{23}^2, mrk_{23}^2$ 22. $\text{KDF}(rk_{23}^2) \rightarrow rk_{23}^3, mrk_{23}^3$

# Message transmission (2)

## Notation:

- ♦  $sk$  = chaining key for sending key chain.  $rk$  = chaining key for receiving key chain.
- ♦  $msk$  = message sending key.  $mrk$  = message receiving key

## Alice sending $M_{ii}^j$ :

- ♦  $C_{ii}^j = \text{AE}_{msk_{ii}^j}((A, B, X_i, j, L_{i-1}), M_{ii}^j)$ ,  
where  $L_{i-1}$  is the length of Alice's  $(i - 1)$ th sending chain.
- ♦ Here,  $\text{AE}_k(T, M) = (T, \text{AES-CBC}_{IV, k_1}(M), \text{HMAC}_{k_2}(T, \text{AES-CBC}_{IV, k_1}(M)))$ ,  
where  $k = (IV, k_1, k_2)$  with  $IV \in \{0,1\}^{128}$ ,  $k_1, k_2 \in \{0,1\}^{256}$ .

Notes: The initiator (Alice) always sends the first message  $M_{11}^1$  to the responder (Bob).  
Also, Alice's ephemeral public key  $Z$  is included in all her messages in her first sending chain.

# References

1. The double ratchet algorithm  
[tinyurl.com/DoubleRatchet](http://tinyurl.com/DoubleRatchet)
2. Signal source code  
[tinyurl.com/SignalProtocol](http://tinyurl.com/SignalProtocol)
3. WhatsApp encryption overview  
[tinyurl.com/WhatsAppEnc](http://tinyurl.com/WhatsAppEnc)
4. A formal security analysis of the Signal messaging protocol  
[eprint.iacr.org/2016/1013](http://eprint.iacr.org/2016/1013)

